

Title: Berry–Esséen-type inequalities for ultraspherical expansions

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This paper contains several variants of Berry–Esséen-type inequalities for *ultras*pherical expansions of probability measures on  $[0, \pi]$ . Similar to the classical results on  $\mathbb{R}$ , proofs will be based in some cases on ultraspherical analogues of Fejér-kernels. The inequalities in this paper in particular lead to relations between the sphericalcap-distance of probability measures on unit spheres  $S^d \subset \mathbb{R}^{d+1}$  and the norms of associated  $L^2$ -convolution operators. Moreover, the inequalities will be used to derive the order of convergence for some central limit theorems on  $[0, \pi]$  and on  $S^d$ ; the limit distributions there are analogues of Gaussian measures and the uniform distribution.

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